

제 25회 한국반도체학술대회  
세션: [WA1-C] Material Growth & Characterization



# Surface reconstruction and equilibrium shape of III–V compound semiconductors as a function of pressure and temperature

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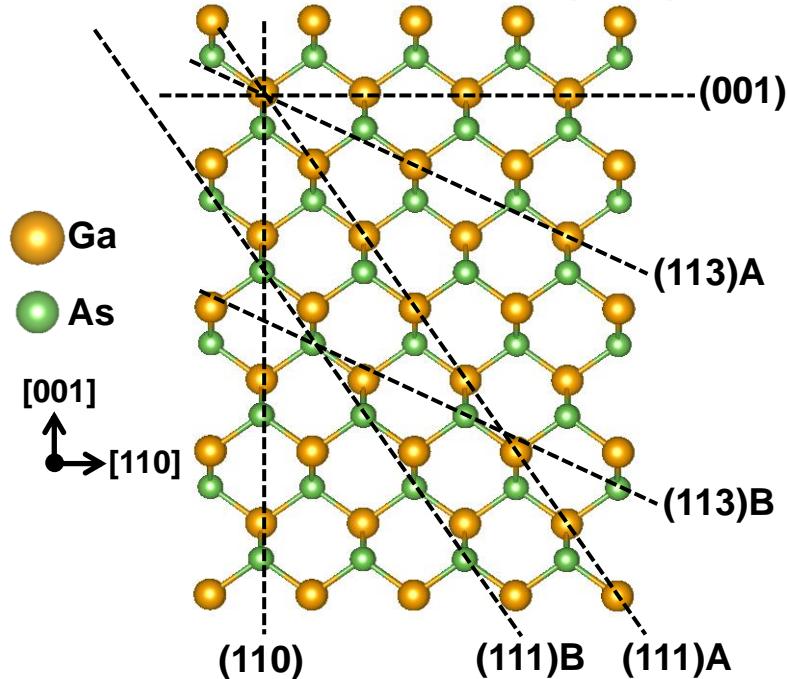
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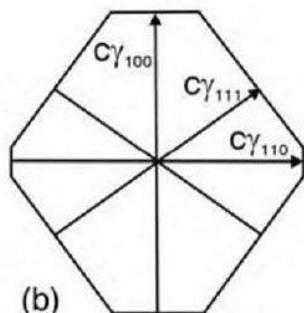
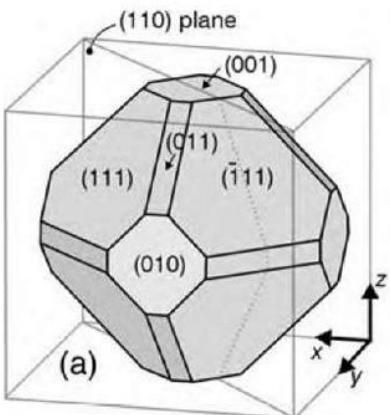
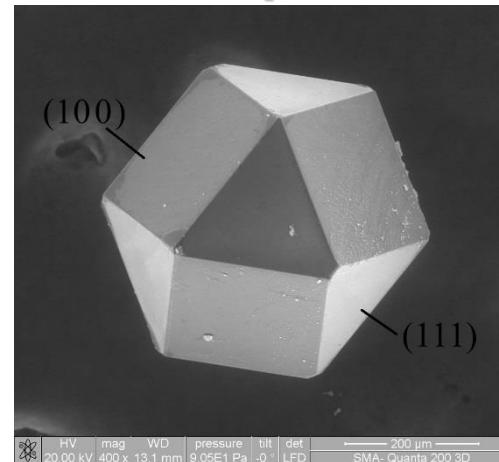
- **Introduction**
  - Previous crystal shape simulation
  - Motivation & Methods
- **Modeling of GaAs Crystal shape**
  - Surface energy
  - Wulff construction
- **Conclusion**

# Equilibrium crystal shape(ECS)

## GaAs crystal(ZB)



## Anisotropic facets



## Wulff construction(ECS):

minimization of the total surface free energy for the given thermodynamic conditions

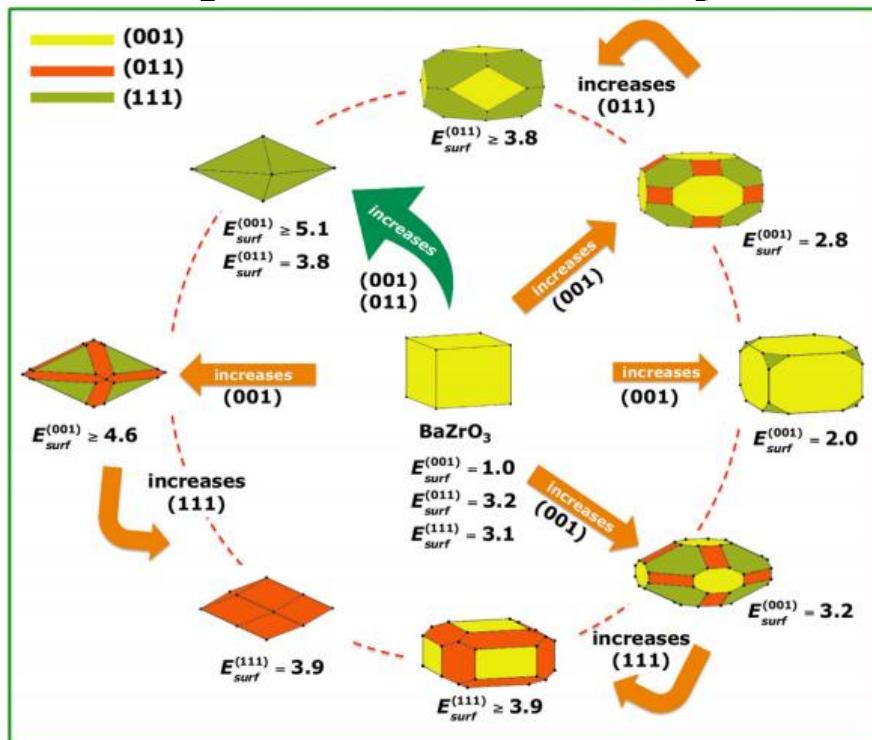
$$\frac{\gamma^{(n)}}{h^{(n)}} = \text{constant},$$

$\gamma^{(n)}$ =surface energy of specific orientation

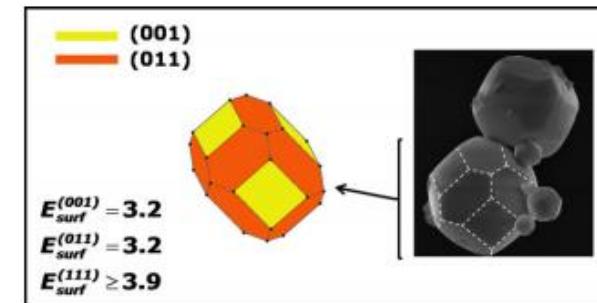
$h^{(n)}$ =surface normal

# Limitations on the previous ECS simulation I

## Adjusted Wulff shape



## Experiments



### Limitation:

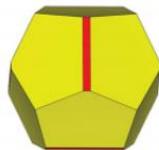
Available facet planes and their relative surface energies are adjusted for fitting to the experimental shape  
→ “Top-down approach”

# Limitations on the previous ECS simulation II

## Wulff shape( $\mu_{Se}$ ) from DFT



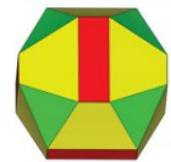
$$\mu_{Se} = -0.927$$



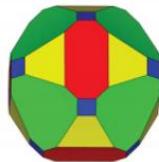
$$\mu_{Se} = -0.82$$



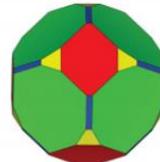
$$\mu_{Se} = -0.79$$



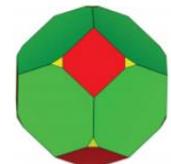
$$\mu_{Se} = -0.775$$



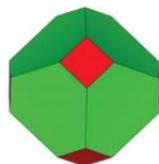
$$\mu_{Se} = -0.75$$



$$\mu_{Se} = -0.72$$



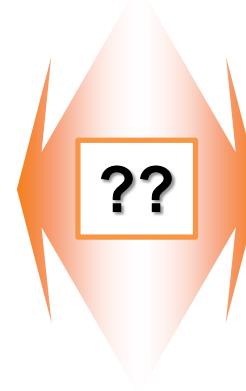
$$\mu_{Se} = -0.71$$



$$\mu_{Se} = -0.69$$

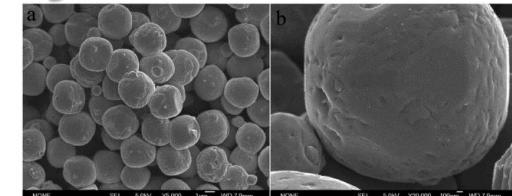


$$\mu_{Se} = -0.581$$

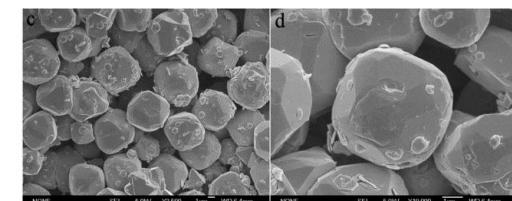


RSC Adv., 4, 13395 (2014).

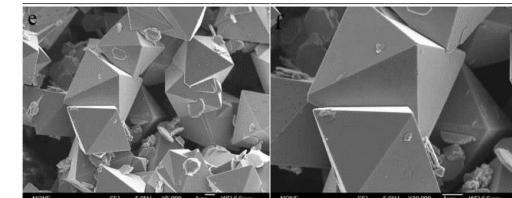
## Synthesized NiSe<sub>2</sub>



Temperature: 430 K with NH80:En=3:1



Temperature: 430 K with NH80:En=1:1

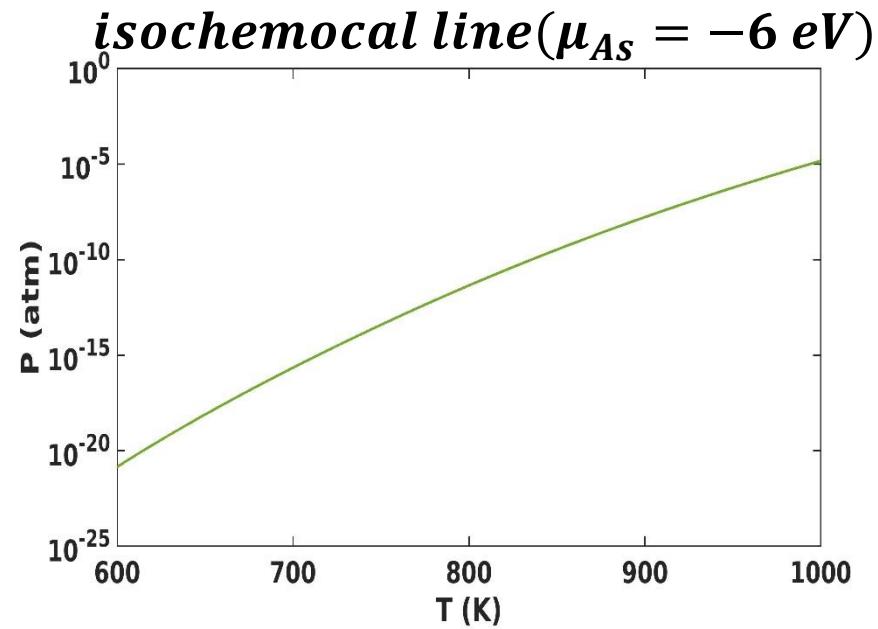
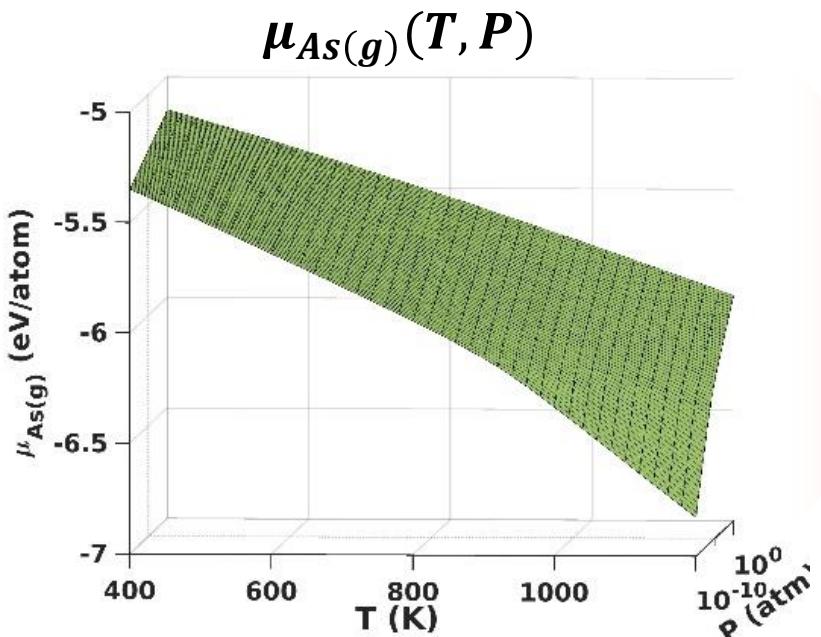


Temperature: 430 K with NH80:En=1:3

### Limitation:

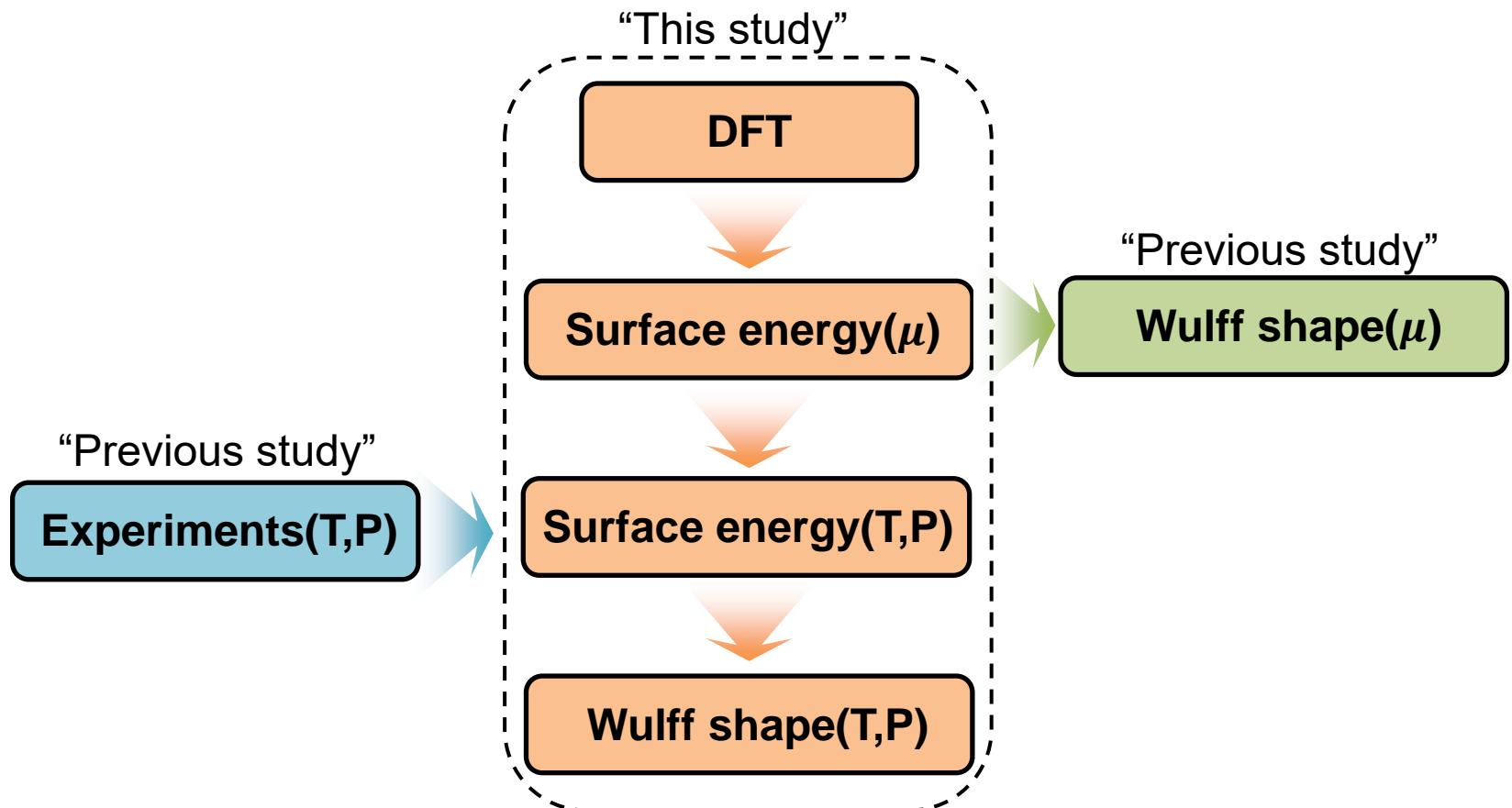
Density Functional Theory(DFT) gives absolute surface energy but the energy(wulff shape) is given as a function of  $\mu \rightarrow$  “Gap between thermodynamic variables;  $\mu$  vs. (T,P)”

# Relation between chemical potential and (T,P)

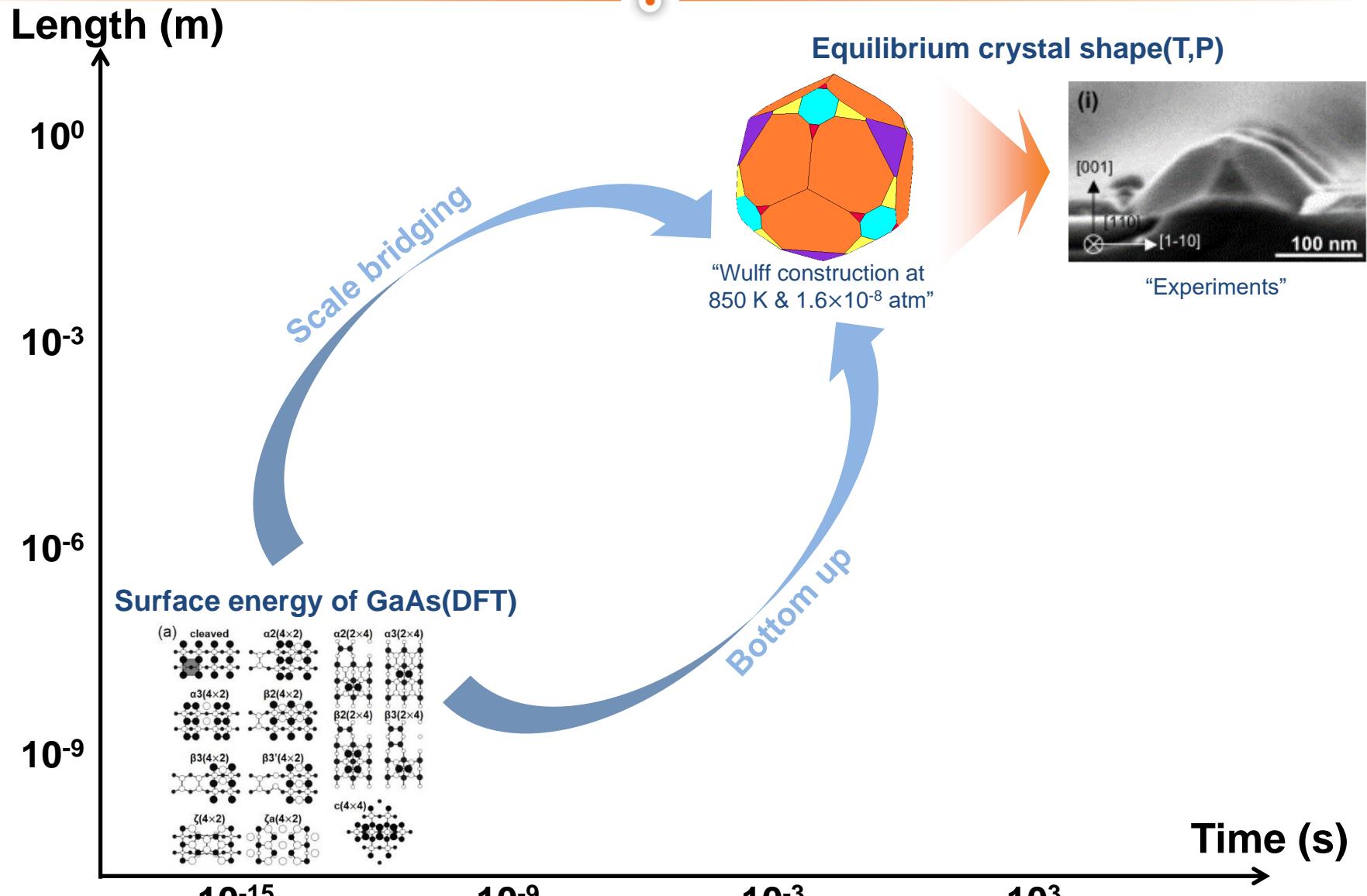


$\mu$  is determined by (T,P) but it is hard to experimentally control the  $\mu$  by (T,P)  
→ “Gap between thermodynamic variables;  $\mu$  vs. (T,P)”

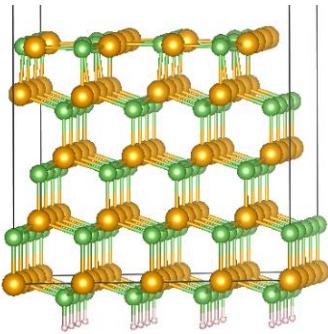
# Purpose



# Methodology by scale-bridging

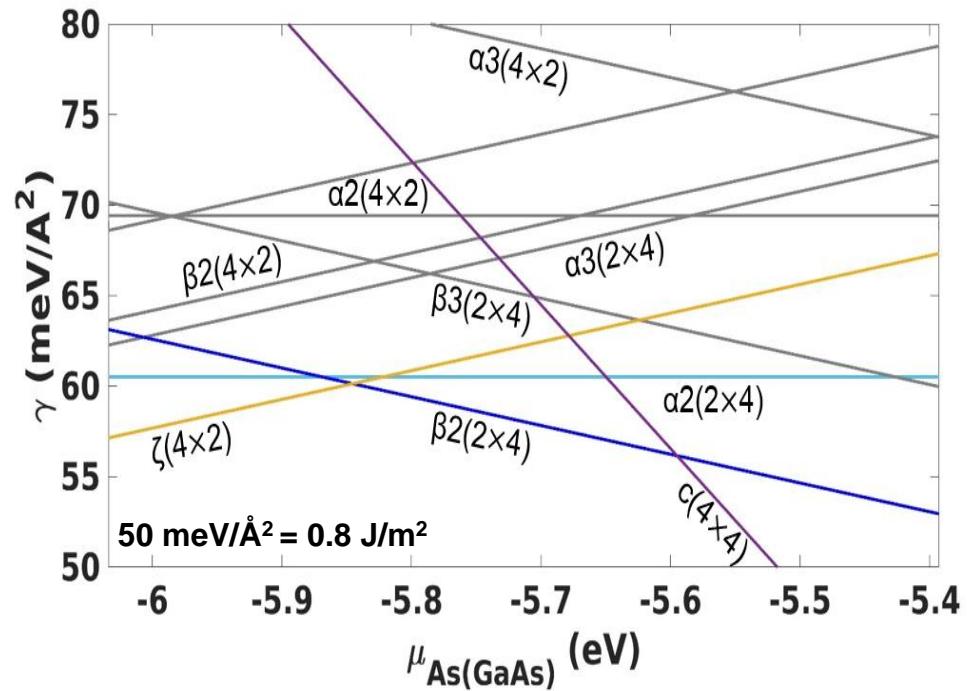
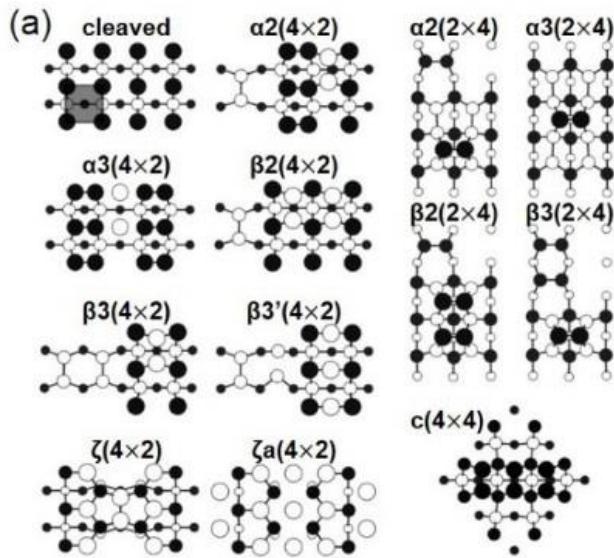


# Surface energy( $\mu_{As}$ ) of GaAs(001)



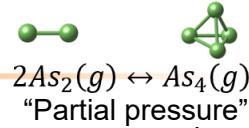
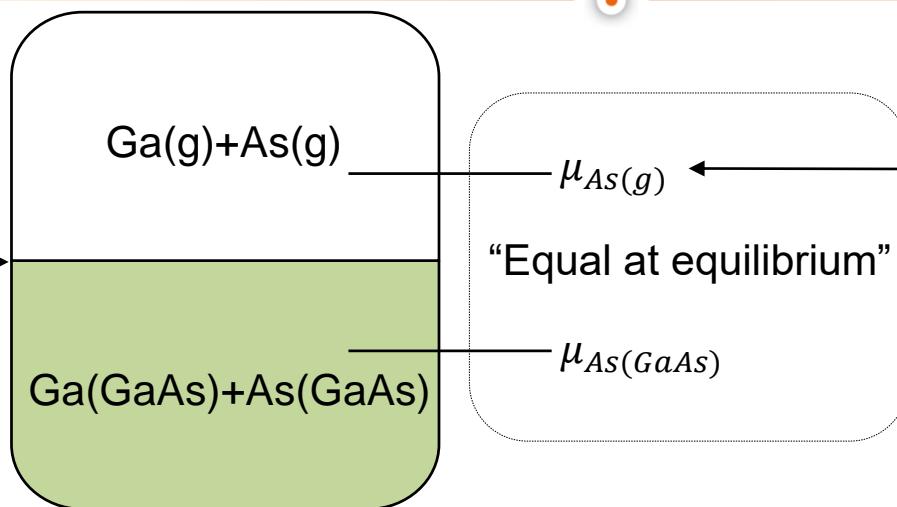
$$\gamma = \frac{(E_{surf}^{elec} + F_{surf}^{vib}) - N_{In}(E_{Ga}^{elec} + F_{Ga}^{vib}) - N_{As}(E_{As}^{elec} + F_{As}^{vib})}{A}$$

$$F^{vib} = \frac{1}{N_k} \sum_{k \in BZ} \sum_i^M \left\{ \frac{\hbar w_i(k)}{2} + k_B T \ln(1 - e^{-\frac{\hbar w_i(k)}{k_B T}}) \right\}$$



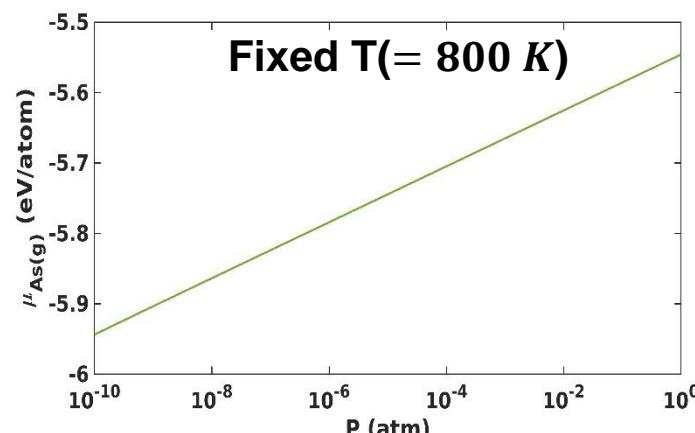
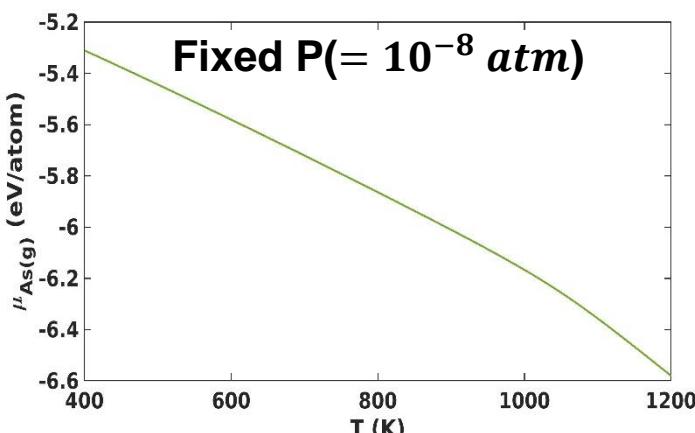
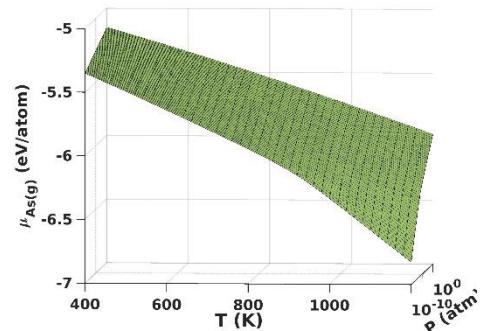
# $\mu_{As}(T,P)$

GaAs surface



$$\mu_{i(g)}(T, P) = \mu_{i(gas)}^o(T, P^o) + k_B T \ln \frac{P_{i(gas)}}{P^o}$$

"Translational motion"  
"Rotational motion"  
"Vibrational motion"



# Surface energy( $T, P$ ) of GaAs(001)

“0 K electronic energy difference”

$$\gamma = \frac{(E_{surf}^{elec}) - N_{In}(E_{Ga}^{elec}) - N_{As}(E_{As}^{elec})}{A}$$

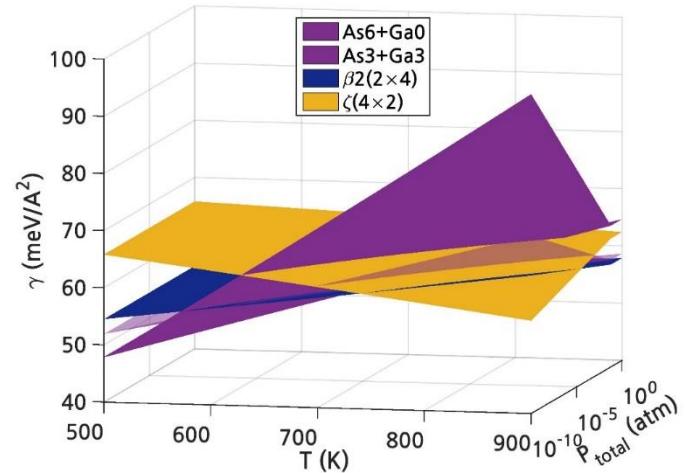
“High T  $\rightarrow$  weak bonding  $\rightarrow$  lower  $\gamma$ ”

“Electronic + thermal energy difference”

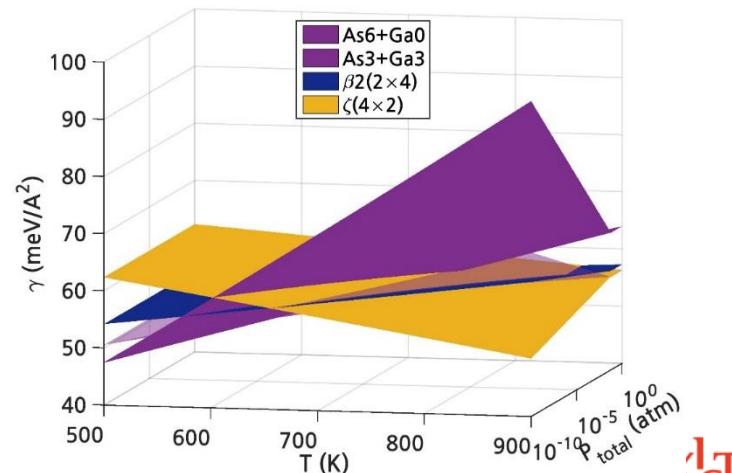
$$\gamma = \frac{(E_{surf}^{elec} + F_{surf}^{vib}) - N_{In}(E_{Ga}^{elec} + F_{Ga}^{vib}) - N_{As}(E_{As}^{elec} + F_{As}^{vib})}{A}$$

$$F^{vib} = \frac{1}{N_k} \sum_{k \in BZ} \sum_i^M \left\{ \frac{\hbar w_i(k)}{2} + k_B T \ln(1 - e^{-\frac{\hbar w_i(k)}{k_B T}}) \right\}$$

Without surf. vib.



With surf. vib.



# Wulff shape(T,P)

$$\gamma^{(001)}(T, P) = \min\{\gamma_{i \in (001) \text{ reconstructions}}^{(001)}\}.$$

$$\gamma^{(110)}(T, P) = \min\{\gamma_{i \in (110) \text{ reconstructions}}^{(110)}\}.$$

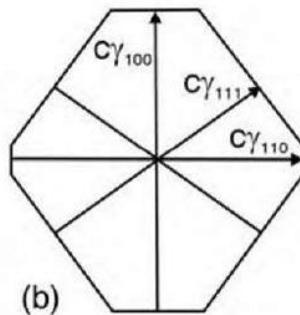
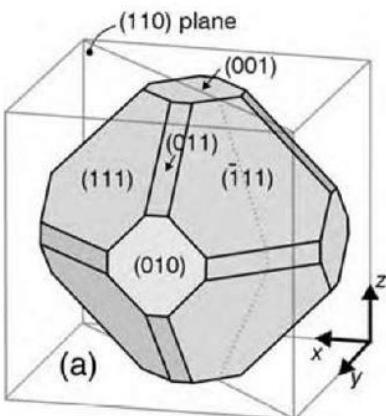
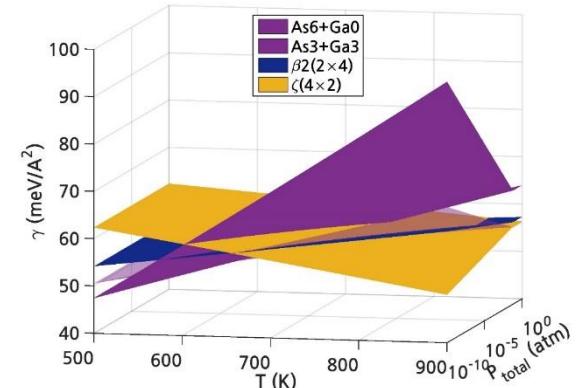
$$\gamma^{(111)A}(T, P) = \min\{\gamma_{i \in (111)A \text{ reconstructions}}^{(111)A}\}.$$

$$\gamma^{(111)B}(T, P) = \min\{\gamma_{i \in (111)B \text{ reconstructions}}^{(111)B}\}.$$

$$\gamma^{(113)A}(T, P) = \min\{\gamma_{i \in (113)A \text{ reconstructions}}^{(113)A}\}.$$

$$\gamma^{(113)B}(T, P) = \min\{\gamma_{i \in (113)B \text{ reconstructions}}^{(113)B}\}.$$

$$\gamma_{i \in \text{reconstructions}}^{(001)}$$



## Wulff construction:

minimization of the total surface free energy for the given thermodynamic conditions

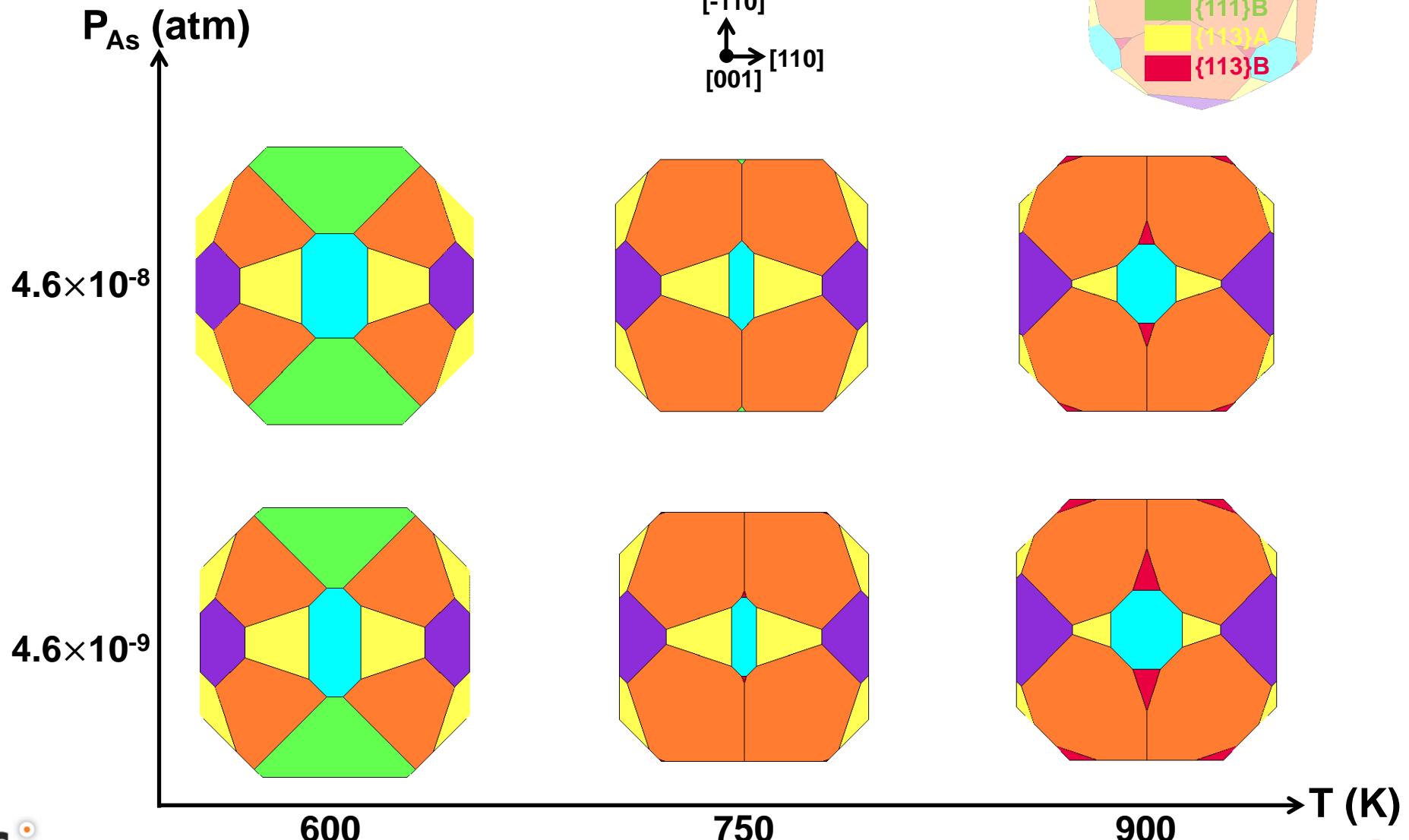
$$\frac{\gamma^{(n)}}{h^{(n)}} = \text{constant},$$

$\gamma^{(n)}$ =surface energy of specific orientation

$h^{(n)}$ =surface normal

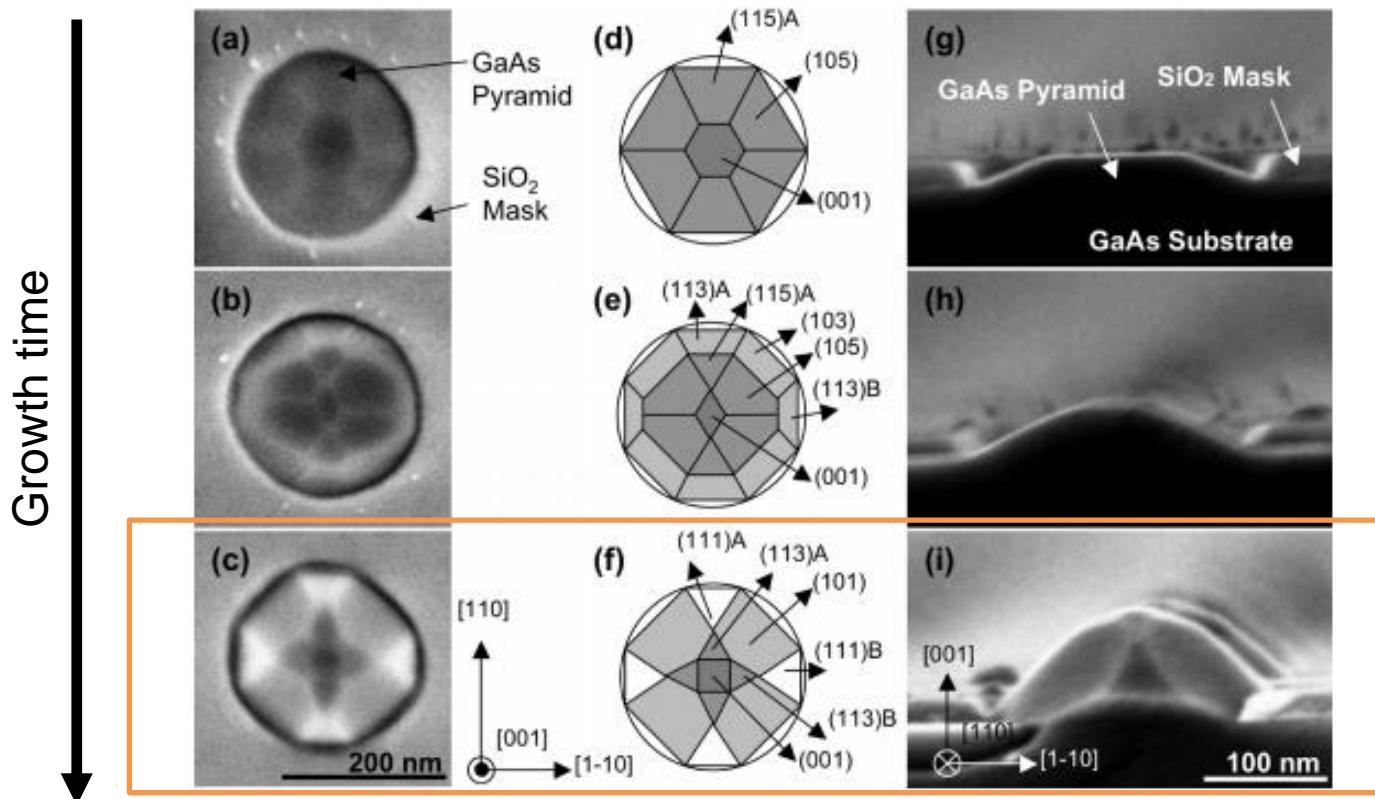
# Wulff shape( $T, P$ ) of GaAs

## Simulation



# Homo-Epitaxy of GaAs on GaAs(001)

## Experiments

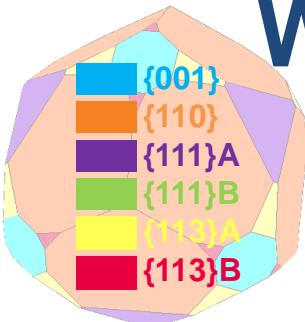


1. MOCVD with trimethyl-Ga and tertiarybutyl-Arsine
2. Temperature: 970 K
3. Pressure: 0.08 atm with V/III ratio of 12.5

# Wulff shape vs. Growth shape

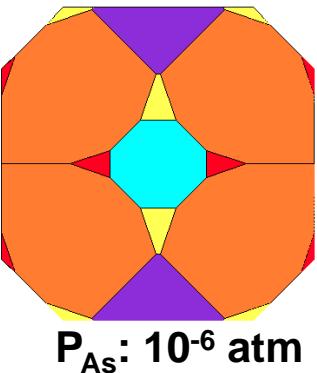
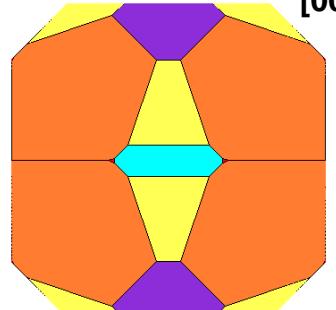
T: 970 K,

P: 0.08 atm

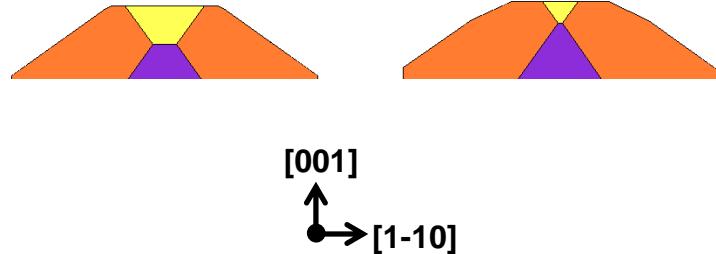


## Simulation

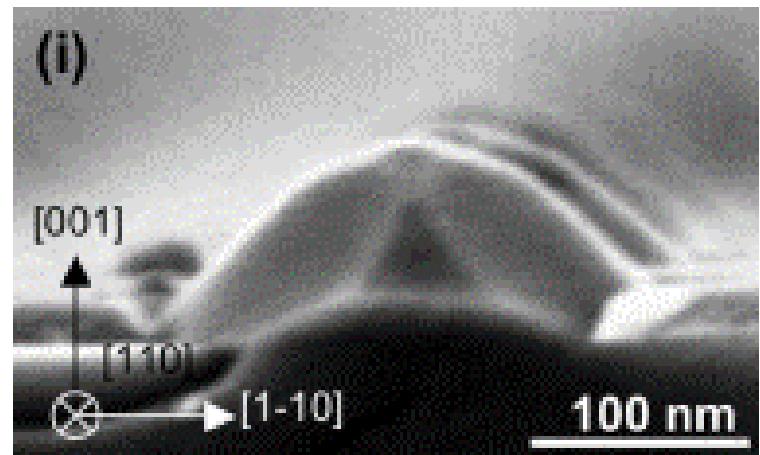
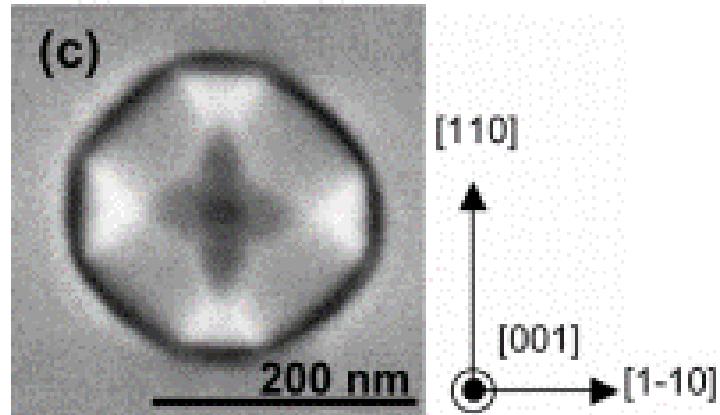
### Top View



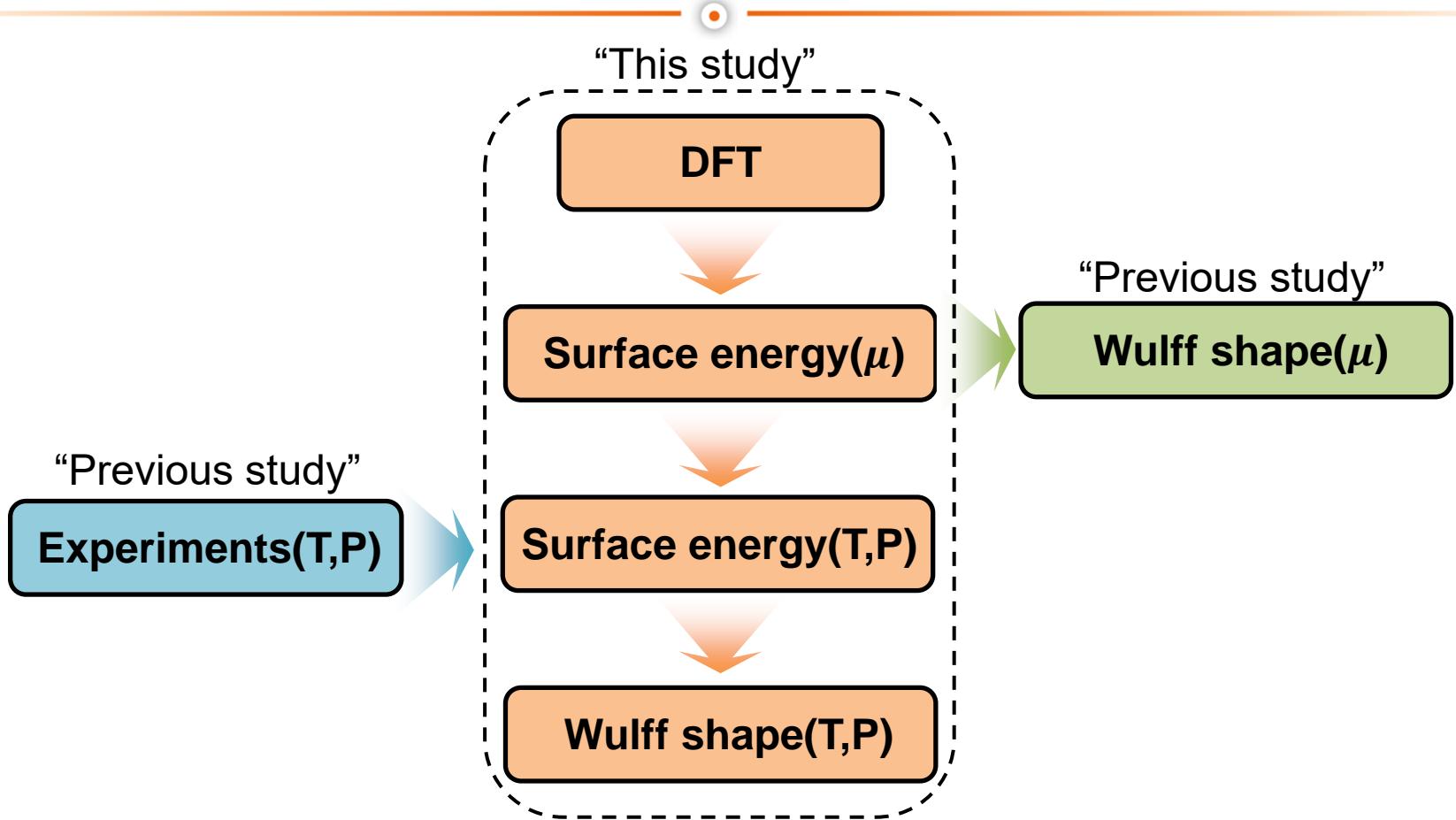
### Side View



## Experiments



# Summary



1. Comparable ECS of GaAs is determined by (T,P)
2. This method can be applied to other III-V